23	$(a=)\dfrac{2\left(\dfrac{5-2y}{3y}\right)+5}{1-\left(\dfrac{5-2y}{3y}\right)}$ **or** $2\left(\dfrac{5-2y}{3y}\right)+5$ **and** $1-\left(\dfrac{5-2y}{3y}\right)$		3	M1 writing both the numerator and denominator in terms of y, may be seen as one fraction or seen separately
	$(a=)\dfrac{2(5-2y)+5\times3y}{1\times3y-(5-2y)}$ **or** $(a=)\dfrac{10-4y+15y}{3y-5+2y}$ **or** $(a=)\dfrac{10+11y}{5y-5}$ **or** $(a=)\dfrac{\dfrac{2(5-2y)+5\times3y}{3y}}{\dfrac{1\times3y-(5-2y)}{3y}}$ **or** $(a=)\dfrac{\dfrac{10-4y+15y}{3y}}{\dfrac{3y-5+2y}{3y}}$ **or** $(a=)\dfrac{\dfrac{10+11y}{3y}}{\dfrac{5y-5}{3y}}$ **or** $(a=)\dfrac{2(5-2y)+5\times3y}{3y}\times\dfrac{3y}{1\times3y-(5-2y)}$ **or** $(a=)\dfrac{10-4y+15y}{3y}\times\dfrac{3y}{3y-5+2y}$ **or** $(a=)\dfrac{10+11y}{3y}\times\dfrac{3y}{5y-5}$ or			M1 multiplying all terms by $3y$ or a multiple of $3y$ (some simplification may be present) **or** writing numerator and denominator over $3y$ or a multiple of $3y$ **or** multiplying the numerator by the reciprocal of the denominator where the numerator and denominator are separate fractions **or** 3 of a, b, c, d correct if written in the form $\dfrac{a+by}{cy-d}$ or $\dfrac{a+by}{c(y-d)}$ where a, b, c and d are integers
	Working required	$\dfrac{10+11y}{5(y-1)}$		A1 dep on M1 allow any equivalent fraction with integer values for m, n and p eg $\dfrac{30+33y}{15(y-1)}$
				Total 3 marks